

# Power Allocation

- optimal power allocation is given by the Water-Filling algorithm:

$$P_n^* = \max\left(0, \epsilon - \frac{\sigma_n^2}{|\alpha_n|^2}\right)$$

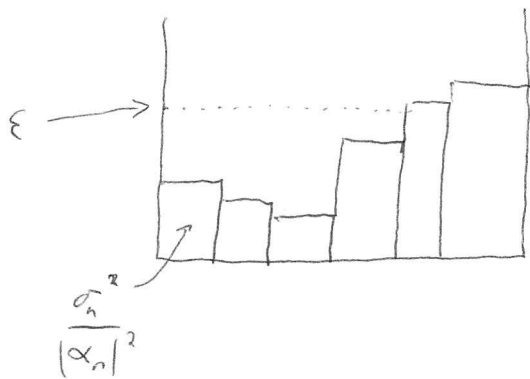
$$\text{subject to } P = \sum_{n=1}^N P_n^*$$

$P$  - total power

$P_n^*$  - optimal power for subcarrier  $n$

$\sigma_n^2$  - noise variance for subcarrier  $n$

$\alpha_n$  - gain for subcarrier  $n$

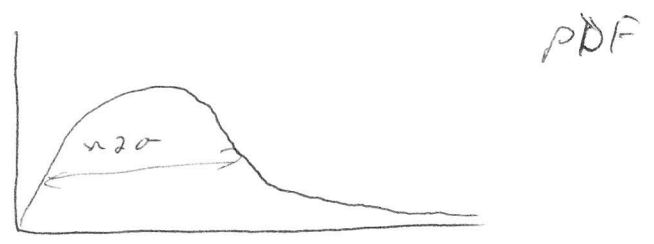


- no closed form solution for arbitrary channels. Solution can be found iteratively.
- In general, waterfilling is optimal for parallel channels w/ different capacities (e.g. MIMO)

# Statistical Channel Models

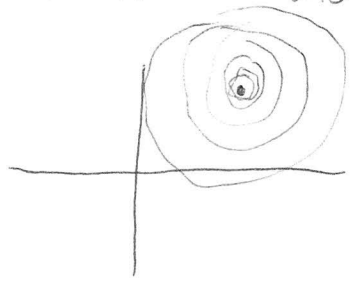
## Rayleigh Fading

- Large number of interacting objects without a dominant component
- The channel is the sum of multipath components w/ roughly equal power and random phase
- ~~The magnitude of the channel is a sum of~~
- The I/Q components of the channel are uncorrelated zero-mean Gaussians, so the channel magnitude is a Rayleigh Distribution



## Rician Fading

- Large number of interacting objects with a dominant component
- The channel is a 2D Gaussian centered around some point



- The amplitude distribution becomes a Rician distribution

